

A vertical watercolor artwork on the left side of the slide, featuring a mix of blue, red, and white colors, with some darker spots and a textured appearance. The colors are blended and layered, creating a sense of depth and movement.

Model based experimental design for accelerated small molecule stability studies

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Rhonda Fenwick, *Time is Now I*
Through her art, Rhonda has explored psoriasis, a chronic skin disorder she has lived with since the age of six.

Stability studies

- Evaluate quality of drug product over time
- Determine shelf life

	Time Points (Months)				
Batch	25C/60RH	30C/75RH	40C/75RH	50C	5C
A	0,1,3,6,9,12,18,24	1,3,6,9,12,18,24	1,3,6	1,3	6,12,24
B	0,1,3,6,9,12,18,24	1,3,6,9,12,18,24	1,3,6	1,3	6,12,24
C	0,1,3,6,9,12,18,24	1,3,6,9,12,18,24	1,3,6	1,3	6,12,24

Accelerated Stability studies

- Store drug product at elevated conditions
 - High temperature
 - High relative humidity
- Product degrades faster
 - Model relationship between reaction rate and storage conditions
 - Use model to predict shelf life as regular storage conditions
- Optimal design
 - Pick temperatures, humidities and measurement times
 - estimate the model as precisely as possible

Model

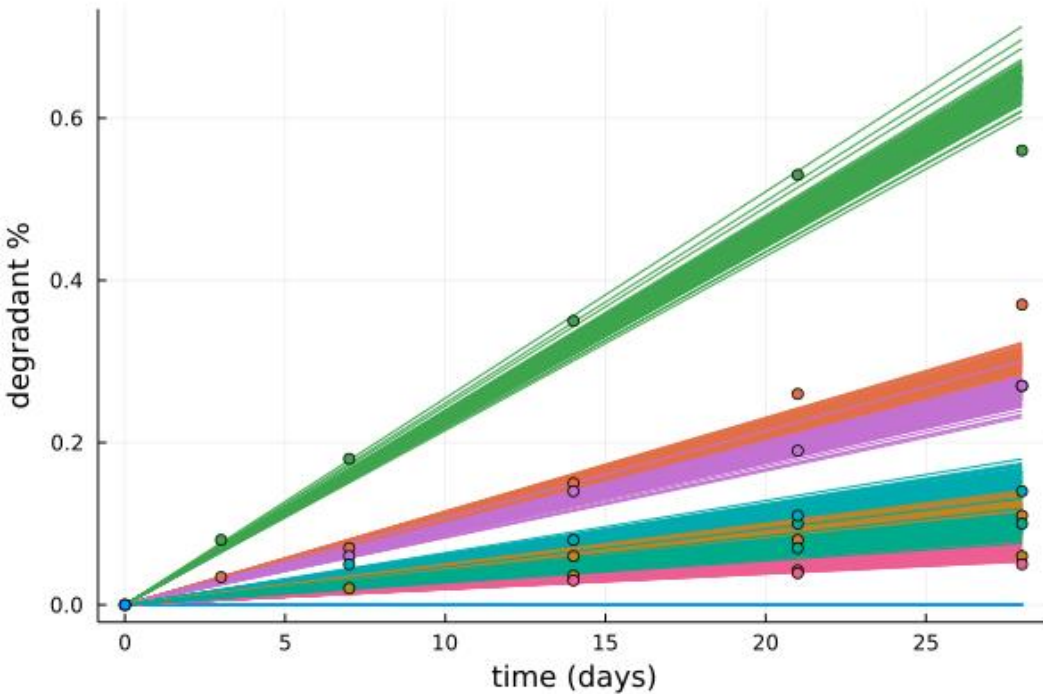
- First order kinetics
- Arrhenius

```
@model function fit_degradation( $\alpha$ , temps, hums, times)
  R = 8.31446261815324

  log_k ~ Uniform(0.0, 150)
  k = exp(log_k)
  E_T ~ Uniform(0.0, 100_000.0)
  E_RH ~ Uniform(0.0, 10.0)
   $\sigma$  ~ Uniform(0.0, 1.0)

  for j in eachindex(temps)
    T = temps[j]
    RH = hums[j]
    for i in 1:length(times[j])
      |  $\alpha$ [j][i] ~ Normal(k*exp(-E_T/(R*T) + E_RH*RH)*times[j][i],  $\sigma$ )
    end
  end
end
return nothing
end
```

Model fit



0°C, 1%

65°C, 50%

65°C, 75%

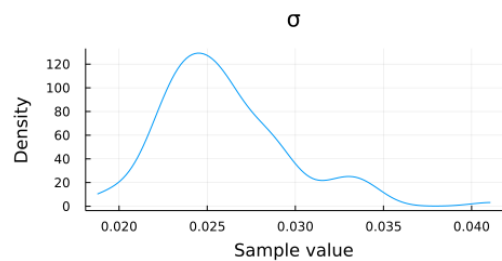
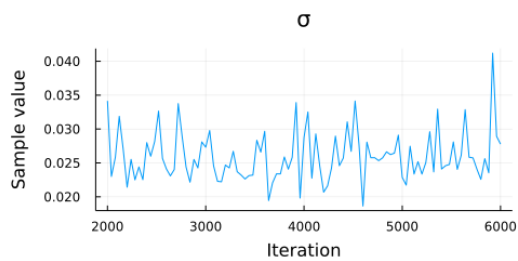
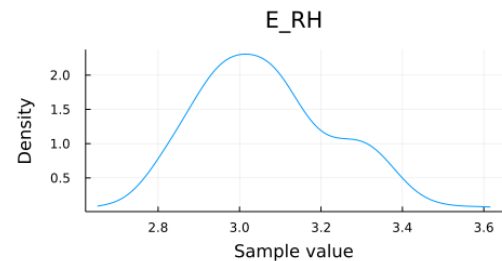
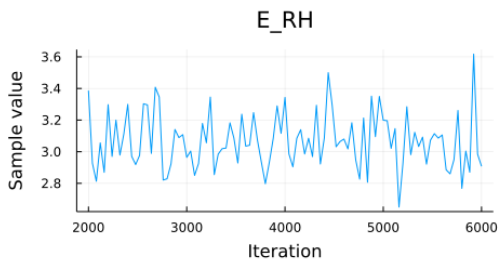
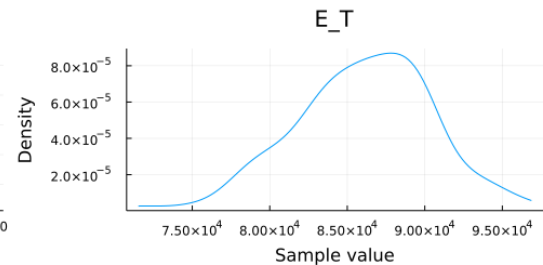
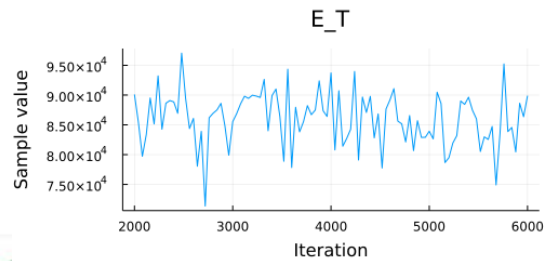
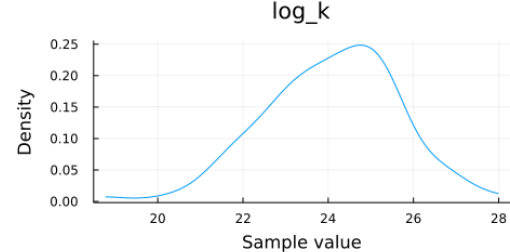
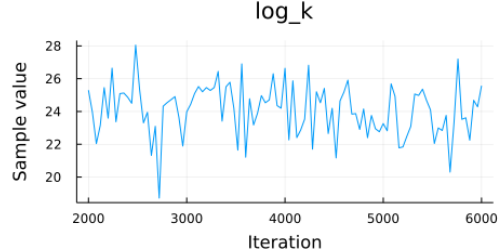
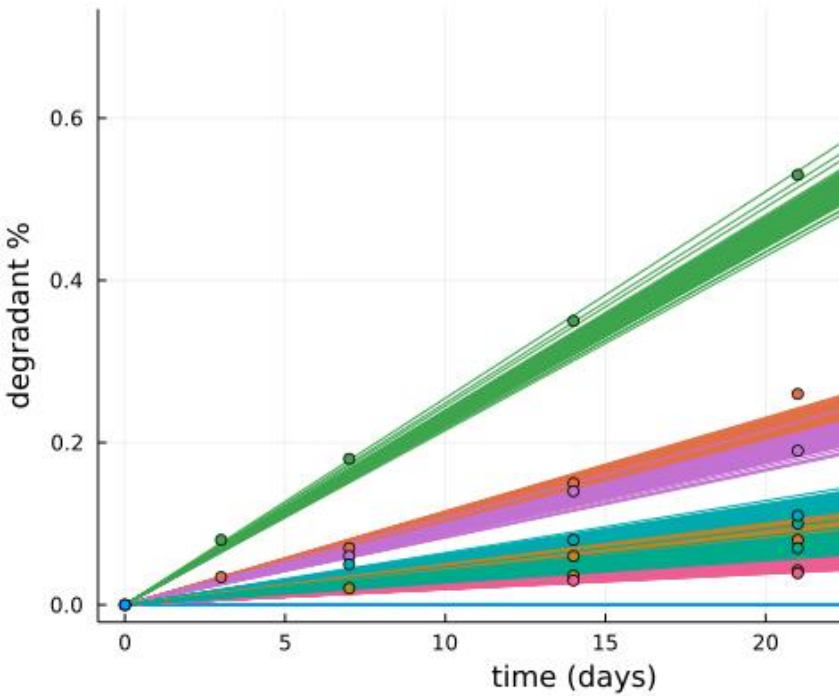
55°C, 75%

65°C, 11%

65°C, 28%

55°C, 29%

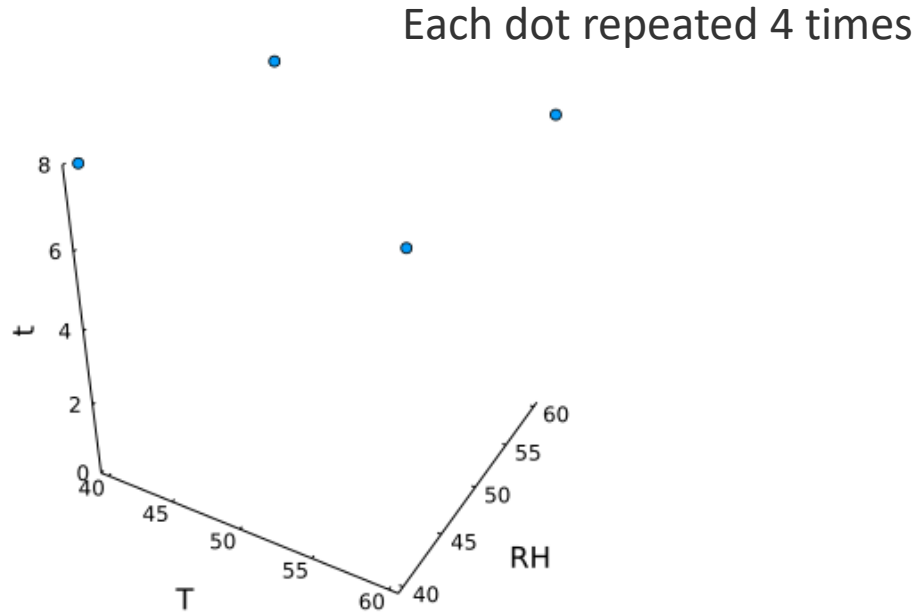
Model fit



Model based design of experiment

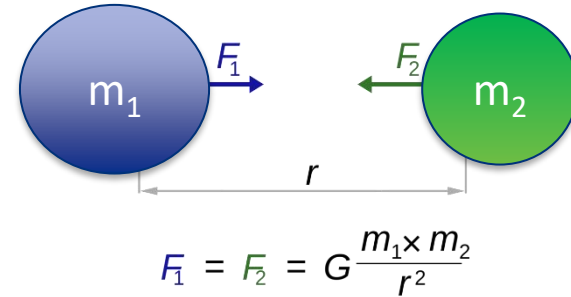
- Fisher information matrix
 - Related to inverse of covariance matrix of model parameter estimates
 - Determinant of FIM related to hyper-volume of covariance matrix
 - $FIM(\theta, x) = \sum_{i=1}^n \frac{\partial y(\theta, x)_i'}{\partial \theta} \Sigma^{-1} \frac{\partial y(\theta, x)_i}{\partial \theta}$
 - Informally: data must be sensitive to the model parameter values
- But FIM depends on the model parameter values
 - Bayesian experimental design
 - Average out FIM over prior distribution

Model based experimental design

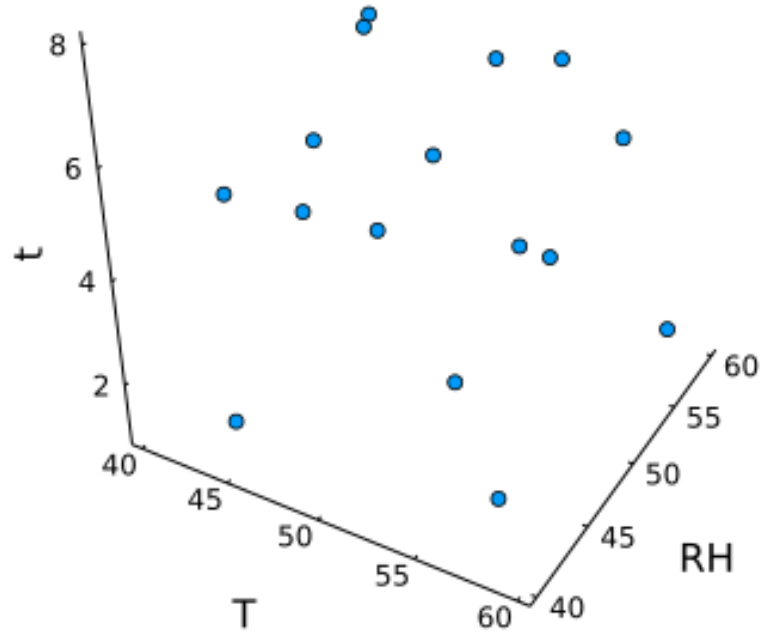


Space filling designs

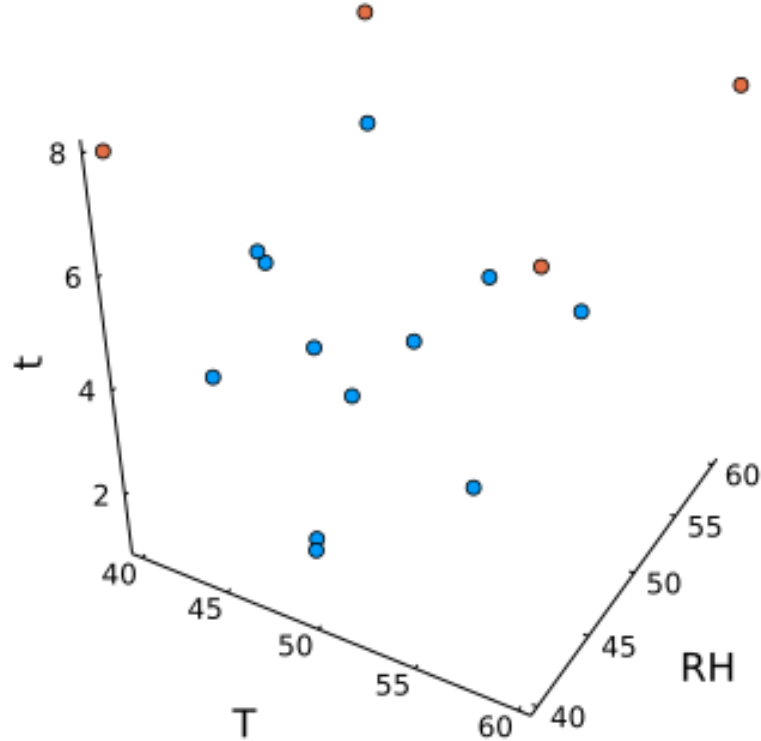
- Model free experimental design technique
- Try to spread measurements over the design space
 - Minimize sum of forces
 - $\sum_{i=1}^N \sum_{j=i+1}^N \frac{1}{r_{i,j}^2}$
- Often only a subset of factors is important
 - Do not only fill up entire design space
 - Also fill up all possible projections (MaxPro; Joseph et al 2022)
 - (T,RH,t) ; (T,RH) ; (T,t) ; (RH,t) ; (T) ; (RH) ; (t)
 - $\frac{1}{\binom{n}{2}} \sum_{i=1}^N \sum_{\substack{j=1 \\ j \neq i}}^N \frac{1}{\prod_{l=1}^p (x_{il} - x_{jl})^2}$



Space filling designs



Combination Model based + Space filling





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Rhonda Fenwick, *Time is Now I*

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